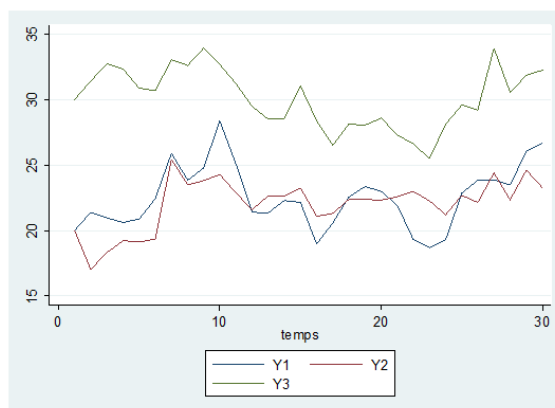


```
. *CORRIGE DE L'EXERCICE CHAPITRE 11-EXERCICE 2
. *Dalila Chenaf-Nicet  Université de Bordeaux.
.
. * Tout d'abord s'assurer d'avoir ouvert le fichier de données stata C11EX2 avant d'ouvrir
le do.fileC11EX2 qui est le fichier programme.
.
. * Une fois le fichier de données ouvert ainsi que le do-file appuyer sur Run (Execute en
haut à droite de la barre de menu du dofile)
. *pour démarrer le programme. Il sera exécuté dans son intégralité.
.
. * Toutefois il est possible en sélectionnant les parties du programme de l'exécuter pas à
pas afin de voir apparaître pas à pas les
. * différents résultats.
```

```
.
.
. *
. * CHAPITRE 11 EXERCICE 2
.
. * Test de cointégration et et estimation d'un VEC
. * Il faut définir la variable du temps
. gen temps=(_n)
.
. tsset temps
.     time variable:  temps, 1 to 30
.     delta: 1 unit
```

```
. * Une représentation graphique des données nous donne :
```

```
. twoway (tsline y1 y2 y3)
```



```
. * /////Le test de longueur de retard est proposé dans l'étape 2
```

```
> varsoc y1 y2 y3, lutstat
```

```
Selection-order criteria (lutstats)
```

```
Sample: 5 - 30
```

```
Number of obs = 26
```

lag	LL	LR	df	p	FPE	AIC	HQIC	SBIC
0	-146.48				19.7851	2.75404	2.75404	2.75404
1	-127.82	37.32	9	0.000	9.47948	2.01097	2.13638*	2.44647*
2	-118.04	19.56	9	0.021	9.23092*	1.95097	2.20178	2.82196
3	-108.585	18.91*	9	0.026	9.6971	1.91596*	2.29218	3.22244
4	-103.858	9.4539	9	0.396	15.9787	2.24465	2.74628	3.98663

```
Endogenous: y1 y2 y3
```

```
Exogenous: _cons
```

```
.
. * Dans la mesure où 2 des 4 critères pointent 2 retards et que le nombre d'observations
est faible nous utiliserons 2 retards.
```

```
. * Nous allons donc procéder au test de Johansen sur un VECM(1)
```

```
. *///// Etape 2 on procède au test de Johansen
```

```
. * - Existence d'une constante dans la relation de long terme et pas dans les données
```

(pas de tendance déterministe), spécification b

.
. vec y1 y2 y3

Vector error-correction model

Sample: 3 - 30

Log likelihood = -133.8985

Det(Sigma_ml) = 2.859217

Number of obs = 28

AIC = 10.77846

HQIC = 11.02573

SBIC = 11.5873

Equation	Parms	RMSE	R-sq	chi2	P>chi2
D_y1	5	1.75372	0.3260	11.1256	0.0489
D_y2	5	1.50886	0.3033	10.0149	0.0748
D_y3	5	1.6041	0.3182	10.73413	0.0569

		Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
D_y1	_cel					
	L1.	-.8700277	.3237387	-2.69	0.007	-1.504544 - .2355116
	y1					
	LD.	.7660836	.2729956	2.81	0.005	.2310221 1.301145
	y2					
	LD.	-.7290306	.2758203	-2.64	0.008	-1.269628 -.1884327
D_y2	y3					
	LD.	-.2607221	.2420003	-1.08	0.281	-.7350339 .2135897
	_cons	.1004801	.3358319	0.30	0.765	-.5577384 .7586986
	_cel					
	L1.	.3066352	.2785375	1.10	0.271	-.2392882 .8525587
	y1					
D_y3	LD.	.1010004	.2348793	0.43	0.667	-.3593546 .5613553
	y2					
	LD.	-.3559121	.2373096	-1.50	0.134	-.8210303 .1092061
	y3					
	LD.	-.0818033	.2082116	-0.39	0.694	-.4898905 .326284
	_cons	.2848923	.2889423	0.99	0.324	-.2814242 .8512087
D_y3	_cel					
	L1.	.0088712	.2961178	0.03	0.976	-.5715091 .5892514
	y1					
	LD.	.5293304	.2497041	2.12	0.034	.0399195 1.018741
	y2					
	LD.	-.4579263	.2522878	-1.82	0.070	-.9524012 .0365486
D_y3	y3					
	LD.	-.2457833	.2213532	-1.11	0.267	-.6796276 .188061
	_cons	.0070379	.3071793	0.02	0.982	-.5950225 .6090983

Cointegrating equations

Equation	Parms	chi2	P>chi2
----------	-------	------	--------

```
_cel      2    111.6801    0.0000
```

Identification: beta is exactly identified

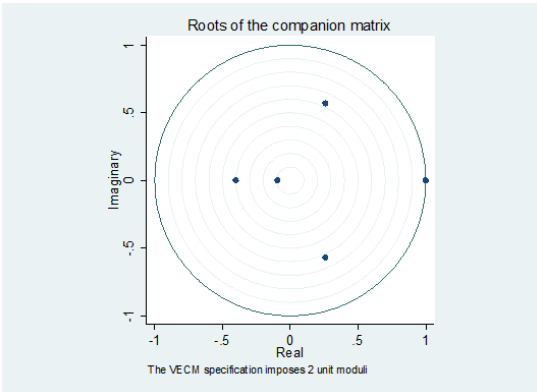
Johansen normalization restriction imposed						
beta	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
_cel						
y1	1
y2	-.8619331	.1022031	-8.43	0.000	-1.062247	-.6616186
y3	-.5395468	.0825008	-6.54	0.000	-.7012453	-.3778482
_cons	12.68323

```
. vecstable, graph
```

Eigenvalue stability condition

Eigenvalue	Modulus
1	1
1	1
.259191 + .5703292i	.626463
.259191 - .5703292i	.626463
-.3990731	.399073
-.09403389	.094034

The VECM specification imposes 2 unit moduli.



```
. vecrank y1 y2 y3 , trend(rconstant)
```

Johansen tests for cointegration					
Trend: rconstant			Number of obs = 28		
Sample: 3 - 30			Lags = 2		
				5%	
maximum			trace	critical	
rank	parms	LL	eigenvalue	statistic	value
0	9	-147.41745	.	38.5069	34.91
1	15	-134.4182	0.60486	12.5084*	19.96
2	19	-130.26026	0.25695	4.1926	9.42
3	21	-128.16399	0.13906		

```
.
. * Les trois valeurs propres de la matrice Pi estimées par le maximum de vraisemblance sont
égales à alpha1=0.60, alpha 2=0.23 et alpha3=0.13.
. * Pour 0 relation de cointégration le test de trace 38,5 (5%), est supérieur à la valeur
critique de 34.91
. * Nous rejetons l'hypothèse.
.
. *Pour un relation le test de trace est de 12.50 < à la valeur critique de 19.96, nous
acceptons l'hypothèse d'une relation
```

```
. * de cointégration.
. * Le test indique qu'il n'y en a pas 2 .
. * On notera que Stata met une étoile dans la ligne du "bon nombre de relations de
cointégration. Ce qui est pratique !
.
. * - Existence d'une constante dans la relation de long terme et dans les données,
spécification c
.
. vec y1 y2 y3
```

Vector error-correction model

```
Sample: 3 - 30                                Number of obs   =      28
                                                AIC             =    10.77846
Log likelihood = -133.8985                    HQIC           =    11.02573
Det(Sigma_ml)  =  2.859217                    SBIC           =    11.5873
```

Equation	Parms	RMSE	R-sq	chi2	P>chi2
D_y1	5	1.75372	0.3260	11.1256	0.0489
D_y2	5	1.50886	0.3033	10.0149	0.0748
D_y3	5	1.6041	0.3182	10.73413	0.0569

		Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
D_y1	_cel					
	L1.	-.8700277	.3237387	-2.69	0.007	-1.504544 - .2355116
	y1					
	LD.	.7660836	.2729956	2.81	0.005	.2310221 1.301145
	y2					
	LD.	-.7290306	.2758203	-2.64	0.008	-1.269628 -.1884327
D_y2	y3					
	LD.	-.2607221	.2420003	-1.08	0.281	-.7350339 .2135897
	_cons	.1004801	.3358319	0.30	0.765	-.5577384 .7586986
	_cel					
	L1.	.3066352	.2785375	1.10	0.271	-.2392882 .8525587
	y1					
	LD.	.1010004	.2348793	0.43	0.667	-.3593546 .5613553
D_y3	y2					
	LD.	-.3559121	.2373096	-1.50	0.134	-.8210303 .1092061
	y3					
	LD.	-.0818033	.2082116	-0.39	0.694	-.4898905 .326284
	_cons	.2848923	.2889423	0.99	0.324	-.2814242 .8512087
	_cel					
D_y3	L1.	.0088712	.2961178	0.03	0.976	-.5715091 .5892514
	y1					
	LD.	.5293304	.2497041	2.12	0.034	.0399195 1.018741
	y2					
	LD.	-.4579263	.2522878	-1.82	0.070	-.9524012 .0365486
D_y3	y3					
	LD.	-.2457833	.2213532	-1.11	0.267	-.6796276 .188061
	_cons	.0070379	.3071793	0.02	0.982	-.5950225 .6090983

Cointegrating equations

Equation	Parms	chi2	P>chi2
_cel	2	111.6801	0.0000

Identification: beta is exactly identified

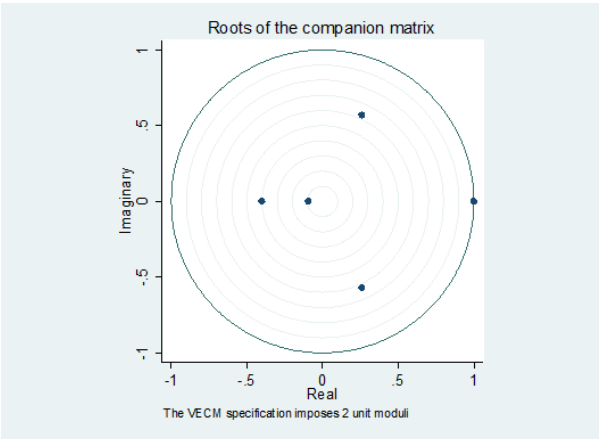
Johansen normalization restriction imposed						
beta	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
_cel	y1	1
	y2	-.8619331	.1022031	-8.43	0.000	-1.062247 -.6616186
	y3	-.5395468	.0825008	-6.54	0.000	-.7012453 -.3778482
	_cons	12.68323

. vecstable, graph

Eigenvalue stability condition

Eigenvalue	Modulus
1	1
1	1
.259191 + .5703292i	.626463
.259191 - .5703292i	.626463
-.3990731	.399073
-.09403389	.094034

The VECM specification imposes 2 unit moduli.



. vecrank y1 y2 y3

Johansen tests for cointegration

Trend: constant

Sample: 3 - 30

Number of obs = 28

Lags = 2

					5%
maximum				trace	critical
rank	parms	LL	eigenvalue	statistic	value
0	12	-146.85843	.	37.3889	29.68
1	17	-133.89851	0.60375	11.4690*	15.41
2	20	-130.25192	0.22931	4.1759	3.76
3	21	-128.16399	0.13855		

. * Les trois valeurs propres de la matrice Pi estimées par le maximum de vraisemblance sont égales à alpha1=0.60 , alpha 2=0.23 et alpha3=0.13.

. * Pour 0 relation de cointégration le test de trace 37,38 (5%), est supérieur à la valeur

critique de 29.68.

. * Nous rejetons l'hypothèse

. * Pour un relation le test de trace est de 11,46 < à la valeur critique de 15,41, nous acceptons l'hypothèse d'une relation

. * de cointégration.

. * Le test indique qu'il n'y en a pas 2.

.

. * On peut faire à présent le test de la valeur propre maximum

. vec y1 y2 y3

Vector error-correction model

Sample: 3 - 30

Number of obs = 28

AIC = 10.77846

Log likelihood = -133.8985

HQIC = 11.02573

Det(Sigma_ml) = 2.859217

SBIC = 11.5873

Equation	Parms	RMSE	R-sq	chi2	P>chi2
D_y1	5	1.75372	0.3260	11.1256	0.0489
D_y2	5	1.50886	0.3033	10.0149	0.0748
D_y3	5	1.6041	0.3182	10.73413	0.0569

		Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
D_y1	_cel						
	L1.	-.8700277	.3237387	-2.69	0.007	-1.504544	-.2355116
	y1						
	LD.	.7660836	.2729956	2.81	0.005	.2310221	1.301145
	y2						
	LD.	-.7290306	.2758203	-2.64	0.008	-1.269628	-.1884327
D_y2	y3						
	LD.	-.2607221	.2420003	-1.08	0.281	-.7350339	.2135897
	_cons	.1004801	.3358319	0.30	0.765	-.5577384	.7586986
	_cel						
	L1.	.3066352	.2785375	1.10	0.271	-.2392882	.8525587
	y1						
D_y3	LD.	.1010004	.2348793	0.43	0.667	-.3593546	.5613553
	y2						
	LD.	-.3559121	.2373096	-1.50	0.134	-.8210303	.1092061
	y3						
	LD.	-.0818033	.2082116	-0.39	0.694	-.4898905	.326284
	_cons	.2848923	.2889423	0.99	0.324	-.2814242	.8512087
D_y3	_cel						
	L1.	.0088712	.2961178	0.03	0.976	-.5715091	.5892514
	y1						
	LD.	.5293304	.2497041	2.12	0.034	.0399195	1.018741
	y2						
	LD.	-.4579263	.2522878	-1.82	0.070	-.9524012	.0365486
D_y3	y3						
	LD.	-.2457833	.2213532	-1.11	0.267	-.6796276	.188061
	_cons	.0070379	.3071793	0.02	0.982	-.5950225	.6090983

Cointegrating equations

Equation	Parms	chi2	P>chi2
_cel	2	111.6801	0.0000

Identification: beta is exactly identified

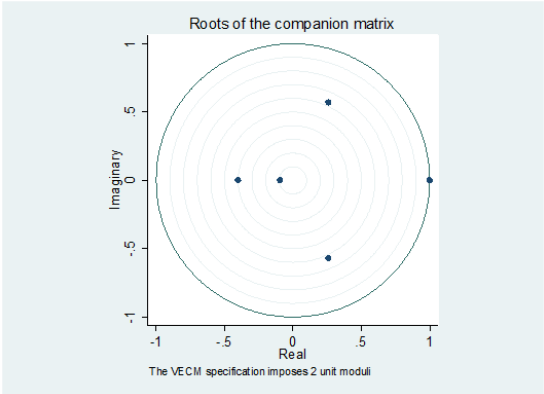
Johansen normalization restriction imposed						
beta	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
_cel	y1	1
	y2	-.8619331	.1022031	-8.43	0.000	-1.062247 - .6616186
	y3	-.5395468	.0825008	-6.54	0.000	-.7012453 - .3778482
	_cons	12.68323

. vecstable, graph

Eigenvalue stability condition

Eigenvalue	Modulus
1	1
1	1
.259191 + .5703292i	.626463
.259191 - .5703292i	.626463
-.3990731	.399073
-.09403389	.094034

The VECM specification imposes 2 unit moduli.



. vecrank y1 y2 y3, max levela notrace

Johansen tests for cointegration					Number of obs = 28	
Trend: constant					Lags = 2	
Sample: 3 - 30						
maximum rank	parms	LL	eigenvalue	max statistic	5% critical value	1% critical value
0	12	-146.85843		25.9198	20.97	25.52
1	17	-133.89851	0.60375	7.2932	14.07	18.63
2	20	-130.25192	0.22931	4.1759	3.76	6.65
3	21	-128.16399	0.13855			

. * L'hypothèse d'une relation de cointégration est vérifiée. On estime donc le VEC

```
.
. vec y1 y2 y3
```

Vector error-correction model

```
Sample: 3 - 30
Log likelihood = -133.8985
Det(Sigma_ml) = 2.859217
Number of obs = 28
AIC = 10.77846
HQIC = 11.02573
SBIC = 11.5873
```

Equation	Parms	RMSE	R-sq	chi2	P>chi2
D_y1	5	1.75372	0.3260	11.1256	0.0489
D_y2	5	1.50886	0.3033	10.0149	0.0748
D_y3	5	1.6041	0.3182	10.73413	0.0569

		Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
D_y1	_cel					
	L1.	-.8700277	.3237387	-2.69	0.007	-1.504544 -.2355116
	y1					
	LD.	.7660836	.2729956	2.81	0.005	.2310221 1.301145
	y2					
	LD.	-.7290306	.2758203	-2.64	0.008	-1.269628 -.1884327
D_y2	y3					
	LD.	-.2607221	.2420003	-1.08	0.281	-.7350339 .2135897
	_cons	.1004801	.3358319	0.30	0.765	-.5577384 .7586986
	_cel					
	L1.	.3066352	.2785375	1.10	0.271	-.2392882 .8525587
	y1					
D_y3	LD.	.1010004	.2348793	0.43	0.667	-.3593546 .5613553
	y2					
	LD.	-.3559121	.2373096	-1.50	0.134	-.8210303 .1092061
	y3					
	LD.	-.0818033	.2082116	-0.39	0.694	-.4898905 .326284
	_cons	.2848923	.2889423	0.99	0.324	-.2814242 .8512087
D_y3	_cel					
	L1.	.0088712	.2961178	0.03	0.976	-.5715091 .5892514
	y1					
	LD.	.5293304	.2497041	2.12	0.034	.0399195 1.018741
	y2					
	LD.	-.4579263	.2522878	-1.82	0.070	-.9524012 .0365486
D_y3	y3					
	LD.	-.2457833	.2213532	-1.11	0.267	-.6796276 .188061
	_cons	.0070379	.3071793	0.02	0.982	-.5950225 .6090983

Cointegrating equations

Equation	Parms	chi2	P>chi2
_cel	2	111.6801	0.0000

Identification: beta is exactly identified

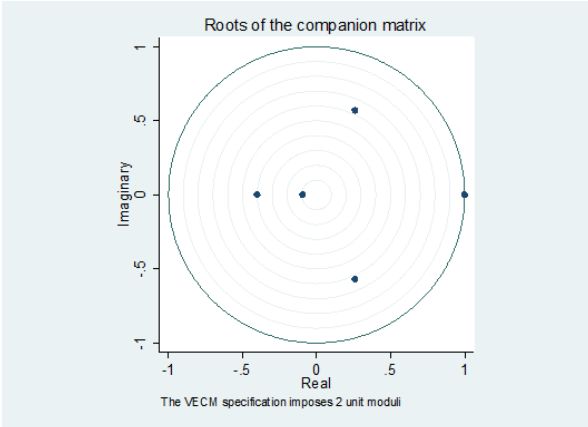
Johansen normalization restriction imposed						
beta	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
_cel	y1	1
	y2	-.8619331	.1022031	-8.43	0.000	-1.062247 -.6616186
	y3	-.5395468	.0825008	-6.54	0.000	-.7012453 -.3778482
	_cons	12.68323

. vecstable, graph

Eigenvalue stability condition

Eigenvalue	Modulus
1	1
1	1
.259191 + .5703292i	.626463
.259191 - .5703292i	.626463
-.3990731	.399073
-.09403389	.094034

The VECM specification imposes 2 unit moduli.



. vecrank y1 y2 y3, max levela notrace

Johansen tests for cointegration						
Trend: constant			Number of obs =		28	
Sample: 3 - 30			Lags =		2	
maximum				max	5% critical	1% critical
rank	parms	LL	eigenvalue	statistic	value	value
0	12	-146.85843		25.9198	20.97	25.52
1	17	-133.89851	0.60375	7.2932	14.07	18.63
2	20	-130.25192	0.22931	4.1759	3.76	6.65
3	21	-128.16399	0.13855			

.
* Le test des valeurs propres maximales corroborent le résultat
.
* L'étoile indique le rejet de l'hypothèse (On rejete 0 relation contre 1 relation, On accepte 1 contre 2, on rejete 2 contre 1)
.
* Quatrième étape
.
. vec y1 y2 y3, rank(1)

Vector error-correction model

Sample: 3 - 30	Number of obs	=	28
	AIC	=	10.77846
Log likelihood = -133.8985	HQIC	=	11.02573
Det(Sigma_ml) = 2.859217	SBIC	=	11.5873

Equation	Parms	RMSE	R-sq	chi2	P>chi2
D_y1	5	1.75372	0.3260	11.1256	0.0489
D_y2	5	1.50886	0.3033	10.0149	0.0748
D_y3	5	1.6041	0.3182	10.73413	0.0569

		Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
D_y1						
_cel	L1.	-.8700277	.3237387	-2.69	0.007	-1.504544 - .2355116
y1	LD.	.7660836	.2729956	2.81	0.005	.2310221 1.301145
y2	LD.	-.7290306	.2758203	-2.64	0.008	-1.269628 -.1884327
y3	LD.	-.2607221	.2420003	-1.08	0.281	-.7350339 .2135897
_cons		.1004801	.3358319	0.30	0.765	-.5577384 .7586986
D_y2						
_cel	L1.	.3066352	.2785375	1.10	0.271	-.2392882 .8525587
y1	LD.	.1010004	.2348793	0.43	0.667	-.3593546 .5613553
y2	LD.	-.3559121	.2373096	-1.50	0.134	-.8210303 .1092061
y3	LD.	-.0818033	.2082116	-0.39	0.694	-.4898905 .326284
_cons		.2848923	.2889423	0.99	0.324	-.2814242 .8512087
D_y3						
_cel	L1.	.0088712	.2961178	0.03	0.976	-.5715091 .5892514
y1	LD.	.5293304	.2497041	2.12	0.034	.0399195 1.018741
y2	LD.	-.4579263	.2522878	-1.82	0.070	-.9524012 .0365486
y3	LD.	-.2457833	.2213532	-1.11	0.267	-.6796276 .188061
_cons		.0070379	.3071793	0.02	0.982	-.5950225 .6090983

Cointegrating equations

Equation	Parms	chi2	P>chi2
_cel	2	111.6801	0.0000

Identification: beta is exactly identified

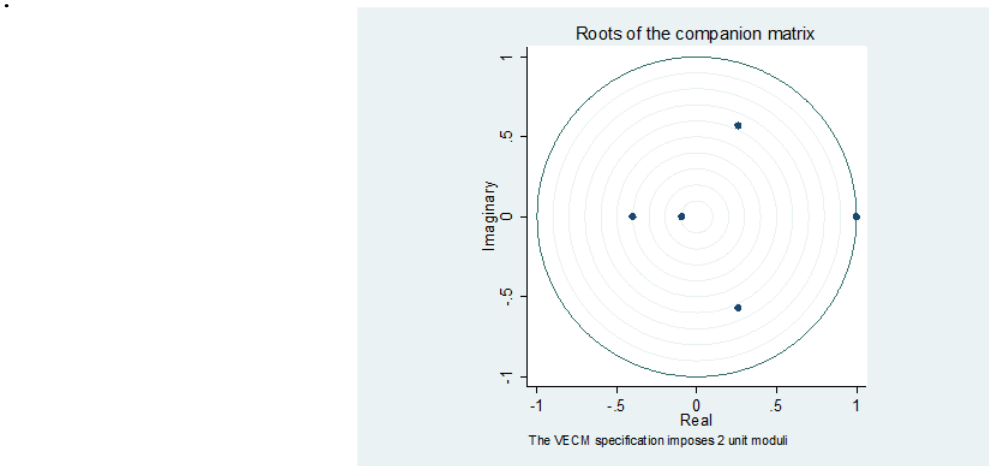
Johansen normalization restriction imposed							
	beta	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
_cel	y1	1
	y2	-.8619331	.1022031	-8.43	0.000	-1.062247	-.6616186
	y3	-.5395468	.0825008	-6.54	0.000	-.7012453	-.3778482
	_cons	12.68323

. vecstable, graph

Eigenvalue stability condition

Eigenvalue		Modulus
1		1
1		1
.259191 + .5703292i		.626463
.259191 - .5703292i		.626463
-.3990731		.399073
-.09403389		.094034

The VECM specification imposes 2 unit moduli.



end of do-file

. exit, clear