

```
* Tout d'abord s'assurer d'avoir ouvert le fichier de données stata C5EX2 avant d'ouvrir le
do.fileC5EX2 qui est fichier programme.
. * Une fois le fichier de données ouvert ainsi que le do-file appuyer sur Run (Execute en
haut à droite de la barre de menu du dofile) pour démar
> rer
.
. * Toutefois il est possible en sélectionnant les parties du programme de l'exécuter pas à
pas afin de voir apparaître pas à pas les
. * différents résultats.
.
. *Attention c'est le même fichier C5EX1 pour l'exercice 1 et 2
.
. *
CHAPITRE 5 EXERCICE 2
. * Test d'indépendance des erreurs
.
.
. * On fait la régression complète de y par rapport à x1 x2 et x3 et on récupère les résidus
de la regression
. regress y x1 x2 x3
```

Source	SS	df	MS	Number of obs	=	20
Model	2496.75144	3	832.25048	F(3, 16)	=	81.95
Residual	162.493922	16	10.1558701	Prob > F	=	0.0000
				R-squared	=	0.9389
				Adj R-squared	=	0.9274
Total	2659.24536	19	139.960282	Root MSE	=	3.1868

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x1	3.897408	.4003251	9.74	0.000	3.048757 4.746059
x2	.4043652	.0613514	6.59	0.000	.2743061 .5344244
x3	-.8788858	.2402165	-3.66	0.002	-1.388122 -.3696496
_cons	-242.7951	26.79996	-9.06	0.000	-299.6085 -185.9817

```
. predict residus, re
```

```
. *****Première possibilité
```

```
. * Etape 1 : l'estimation du rho et définition de la variable temps
. tsset date
time variable: date, 1 to 20
delta: 1 unit
```

```
. regress residus L1.residus
```

Source	SS	df	MS	Number of obs	=	19
Model	28.8458639	1	28.8458639	F(1, 17)	=	3.71
Residual	132.139272	17	7.77289838	Prob > F	=	0.0709
				R-squared	=	0.1792
				Adj R-squared	=	0.1309
Total	160.985136	18	8.94361868	Root MSE	=	2.788

residus	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
residus L1.	.4648458	.2413007	1.93	0.071	-.0442542 .9739459
_cons	.0654004	.6430733	0.10	0.920	-1.291366 1.422167

```
. gen rho=_b[L1.residus]
```

```
. display rho
.46484584
```

```
. * Etape 2 : tranformation des variables et régressions en quasi-différences
. * Calcul des quasi-différences
. gen dy=y-rho*L1.y
(1 missing value generated)

. gen dx1=x1-rho*L1.x1
(1 missing value generated)

. gen dx2=x2-rho*L1.x2
(1 missing value generated)

. gen dx3=x3-rho*L1.x3
(1 missing value generated)

.
. * Faire la régression de dy par rapport à dx1 dx2 dx3
.
. regress dy dx1 dx2 dx3
```

Source	SS	df	MS	Number of obs	=	19
				F(3, 15)	=	56.79
Model	1343.30651	3	447.768835	Prob > F	=	0.0000
Residual	118.263433	15	7.88422888	R-squared	=	0.9191
				Adj R-squared	=	0.9029
Total	1461.56994	18	81.19833	Root MSE	=	2.8079

dy	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
dx1	3.593677	.5830733	6.16	0.000	2.350886 4.836468
dx2	.4390191	.0713648	6.15	0.000	.2869087 .5911296
dx3	-.5145971	.3370979	-1.53	0.148	-1.233104 .20391
_cons	-135.5131	18.38346	-7.37	0.000	-174.6965 -96.32964

```
.
. * Calcul ldu terme constant
. gen ahat=_b[_cons]/(1- rho)

. display ahat
-253.22246
```

```
.
. * *****Deuxième possibilité
```

```
. *Etape 1
. * On estime rho2 à partir du DW. On fait d'abord la regression de base
. regress y x1 x2 x3
```

Source	SS	df	MS	Number of obs	=	20
				F(3, 16)	=	81.95
Model	2496.75144	3	832.25048	Prob > F	=	0.0000
Residual	162.493922	16	10.1558701	R-squared	=	0.9389
				Adj R-squared	=	0.9274
Total	2659.24536	19	139.960282	Root MSE	=	3.1868

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x1	3.897408	.4003251	9.74	0.000	3.048757 4.746059
x2	.4043652	.0613514	6.59	0.000	.2743061 .5344244
x3	-.8788858	.2402165	-3.66	0.002	-1.388122 -.3696496
_cons	-242.7951	26.79996	-9.06	0.000	-299.6085 -185.9817

```
.
. * On demande le calcul de la statistique à Stata (calcul du DW fait à l'exercice C5EX1),
ici c'est le calcul automatique de la statistique
. * fait par stata qui est utilisé
. estat dwatson
```

Durbin-Watson d-statistic(4, 20) = 1.053792

```
. gen dw=r(dw)
```

```
. display dw
1.0537925
```

```
.
. *(NB : On peut en écrivant regdw y x1 x2 x3 obtenir directement la régression et la statistique)
```

```
. * Faire le calcul de rho2 à partir de dw
```

```
. gen rho2= 1 -(dw/2)
```

```
. display rho2
.47310376
```

```
.
. * Etape 2
```

```
. *Transformer les variables et régresser en quasi différences
```

```
. gen dy2=y-rho2*L1.y
```

```
(1 missing value generated)
```

```
. gen dx12=x1-rho2*L1.x1
```

```
(1 missing value generated)
```

```
. gen dx22=x2-rho2*L1.x2
```

```
(1 missing value generated)
```

```
. gen dx32=x3-rho2*L1.x3
```

```
(1 missing value generated)
```

```
.
. * Faire la nouvelle régression
```

```
. regress dy2 dx12 dx22 dx32
```

Source	SS	df	MS	Number of obs	=	19
				F(3, 15)	=	56.61
Model	1331.41363	3	443.804542	Prob > F	=	0.0000
Residual	117.595547	15	7.83970315	R-squared	=	0.9188
				Adj R-squared	=	0.9026
Total	1449.00917	18	80.5005097	Root MSE	=	2.7999

dy2	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
dx12	3.580223	.5836738	6.13	0.000	2.336152 4.824295
dx22	.4404901	.0713997	6.17	0.000	.2883053 .5926749
dx32	-.5030346	.3369914	-1.49	0.156	-1.221315 .2152456
_cons	-133.4094	18.14246	-7.35	0.000	-172.0791 -94.73966

```
.
. * Calculer le terme constant
```

```
. gen ahat2=_b[_cons]/(1- rho2)
```

```
. display ahat2
```

```
-253.19859
```

```
.
.
. ***** Estimation récursive du vecteur a et rho (méthode de Cochrane_ Orcutt)
```

```
. * Estimation d'un modèle autoregressif d'ordre 1, selon la méthode
```

```
. prais y x1 x2 x3 , corc
```

```
Iteration 0: rho = 0.0000
```

```
Iteration 1: rho = 0.4623
```

```
Iteration 2: rho = 0.6884
```

```
Iteration 3: rho = 0.7834
```

```
Iteration 4: rho = 0.8037
Iteration 5: rho = 0.8091
Iteration 6: rho = 0.8107
Iteration 7: rho = 0.8112
Iteration 8: rho = 0.8113
Iteration 9: rho = 0.8114
Iteration 10: rho = 0.8114
Iteration 11: rho = 0.8114
Iteration 12: rho = 0.8114
Iteration 13: rho = 0.8114
```

Cochrane-Orcutt AR(1) regression -- iterated estimates

Source	SS	df	MS	Number of obs	=	19
Model	1039.70694	3	346.568981	F(3, 15)	=	52.71
Residual	98.6225176	15	6.57483451	Prob > F	=	0.0000
				R-squared	=	0.9134
				Adj R-squared	=	0.8960
Total	1138.32946	18	63.2405255	Root MSE	=	2.5641

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x1	3.142389	.5538504	5.67	0.000	1.961885 4.322894
x2	.4975571	.0674666	7.37	0.000	.3537554 .6413588
x3	-.1440305	.2954437	-0.49	0.633	-.7737537 .4856928
_cons	-250.3442	37.21227	-6.73	0.000	-329.6603 -171.0281
rho	.8113769				

Durbin-Watson statistic (original) 1.053792
Durbin-Watson statistic (transformed) 2.149342

```
.
. * On note que dans ce cas rho=0,81
.
. * La méthode de balayage proposé par Stata se fait avec la syntaxe
. regdw y x1 x2 x3
```

Source	SS	df	MS	Number of obs	=	20
Model	2496.75144	3	832.25048	F(3, 16)	=	81.95
Residual	162.493922	16	10.1558701	Prob > F	=	0.0000
				R-squared	=	0.9389
				Adj R-squared	=	0.9274
Total	2659.24536	19	139.960282	Root MSE	=	3.1868

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x1	3.897408	.4003251	9.74	0.000	3.048757 4.746059
x2	.4043652	.0613514	6.59	0.000	.2743061 .5344244
x3	-.8788858	.2402165	-3.66	0.002	-1.388122 -.3696496
_cons	-242.7951	26.79996	-9.06	0.000	-299.6085 -185.9817

Durbin-Watson Statistic = 1.053792

```
. hlu y x1 x2 x3
Iteration 0: rho = 0.0000
Iteration 1: rho = 0.9999
Iteration 2: rho = 0.5000
Iteration 3: rho = 0.7499
Iteration 4: rho = 0.8749
Iteration 5: rho = 0.9374
Iteration 6: rho = 0.9687
Iteration 7: rho = 0.9843
Iteration 8: rho = 0.9921
Iteration 9: rho = 0.9960
Iteration 10: rho = 0.9979
```

(Hildreth-Lu regression)

Source	SS	df	MS	Number of obs	=	19
				F(3, 15)	=	47.63
Model	1029.22903	3	343.076344	Prob > F	=	0.0000
Residual	108.047021	15	7.20313471	R-squared	=	0.9050
				Adj R-squared	=	0.8860
Total	1137.27605	18	63.182003	Root MSE	=	2.6839

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
x1	3.084713	.5411141	5.70	0.000	1.947874	4.221551
x2	.5015116	.0654091	7.67	0.000	.3640923	.638931
x3	-.1306599	.2725148	-0.48	0.637	-.7031922	.4418724
_inter	-29.58569	332.7072	-0.09	0.930	-728.5775	669.4061
rho	0.9989	0.0026	389.27	0.000	0.9935	1.0043

Durbin-Watson statistic (original) 1.053792

Durbin-Watson statistic (transformed) 2.397374

.
.
end of do-file

. exit, clear