

-1-

```
. scalar sc0=sc0
```

```
.
```

```
. * Avec 1 retard
```

```
. regress y x L.x
```

Source	SS	df	MS	Number of obs	=	43
Model	3756302.35	2	1878151.17	F(2, 40)	=	18.62
Residual	4035611.52	40	100890.288	Prob > F	=	0.0000
				R-squared	=	0.4821
				Adj R-squared	=	0.4562
Total	7791913.86	42	185521.759	Root MSE	=	317.63

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x					
--.	-.4563838	.1500574	-3.04	0.004	-.7596611 -.1531064
L1.	.8009221	.1521145	5.27	0.000	.4934872 1.108357
_cons	1645.565	207.084	7.95	0.000	1227.033 2064.098

```
. scalar rss1=e(rss)
```

```
. gen aic1= log(rss1/_N) + ((2*1)/_N)
```

```
. display aic1
```

```
11.471933
```

```
. scalar aic1=aic1
```

```
. gen scl=log(rss1/_N) + (1*log(_N))/_N
```

```
. display scl
```

```
11.512483
```

```
. scalar scl=scl
```

```
.
```

```
. * Avec 2 retards
```

```
. regress y x L.x L2.x
```

Source	SS	df	MS	Number of obs	=	42
Model	5219798.53	3	1739932.84	F(3, 38)	=	27.77
Residual	2380903.87	38	62655.3651	Prob > F	=	0.0000
				R-squared	=	0.6868
				Adj R-squared	=	0.6620
Total	7600702.4	41	185382.985	Root MSE	=	250.31

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x					
--.	-.1872308	.1294469	-1.45	0.156	-.4492823 .0748207
L1.	-.0208556	.2005248	-0.10	0.918	-.4267969 .3850857
L2.	.6742182	.1312111	5.14	0.000	.4085952 .9398412
_cons	1347.663	177.5427	7.59	0.000	988.2462 1707.079

```
. scalar rss2=e(rss)
```

```
. gen aic2= log(rss2/_N) + ((2*2)/_N)
```

```
. display aic2
```

```
10.98971
```

```
. scalar aic2=aic2
```

```
. gen sc2=log(rss2/_N) + (2*log(_N))/_N
```

```
. display sc2
```

```
11.070809
```

```
. scalar sc2=sc2
```

```
. * Avec 3 retards
```

```
. regress y x L.x L2.x L3.x
```

Source	SS	df	MS	Number of obs	=	41
				F(4, 36)	=	40.11
Model	6044616.37	4	1511154.09	Prob > F	=	0.0000
Residual	1356452.66	36	37679.2405	R-squared	=	0.8167
				Adj R-squared	=	0.7964
Total	7401069.02	40	185026.726	Root MSE	=	194.11

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x					
--.	-.1008742	.10175	-0.99	0.328	-.3072328 .1054844
L1.	.0840521	.1568931	0.54	0.595	-.2341419 .4022461
L2.	.0612419	.1569798	0.39	0.699	-.2571279 .3796117
L3.	.53678	.1031376	5.20	0.000	.3276073 .7459527
_cons	1059.079	150.7391	7.03	0.000	753.3659 1364.792

```
. scalar rss3=e(rss)
```

```
. gen aic3= log(rss3/_N) + ((2*3)/_N)
```

```
. display aic3
```

```
10.472557
```

```
. scalar aic3=aic3
```

```
. gen sc3=log(rss3/_N) + (3*log(_N))/_N
```

```
. display sc3
```

```
10.594207
```

```
. scalar sc3=sc3
```

```
. * Avec 4 retards
```

```
. regress y x L.x L2.x L3.x L4.x
```

Source	SS	df	MS	Number of obs	=	40
				F(5, 34)	=	45.77
Model	6231872.11	5	1246374.42	Prob > F	=	0.0000
Residual	925879.492	34	27231.7498	R-squared	=	0.8706
				Adj R-squared	=	0.8516
Total	7157751.6	39	183532.092	Root MSE	=	165.02

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x					
--.	-.0252095	.0924411	-0.27	0.787	-.2130725 .1626535
L1.	.0463596	.1372743	0.34	0.738	-.2326153 .3253345
L2.	.1490935	.1352898	1.10	0.278	-.1258484 .4240354
L3.	.138065	.1339635	1.03	0.310	-.1341816 .4103115
L4.	.3591676	.0903616	3.97	0.000	.1755308 .5428044
_cons	838.9658	145.7749	5.76	0.000	542.7155 1135.216

```

.
.   scalar rss4=e(rss)

.   gen aic4= log(rss4/_N) + ((2*4)/_N)

. display aic4
10.136127

.   scalar aic4=aic4

.   gen sc4=log(rss4/_N) + (4*log(_N))/_N

. display sc4
10.298327

.   scalar sc4=sc4

.
. * Avec 5 retards
. regress y x L.x L2.x L3.x L4.x L5.x

```

Source	SS	df	MS	Number of obs	=	39
				F(6, 32)	=	50.55
Model	6260551.13	6	1043425.19	Prob > F	=	0.0000
Residual	660498.769	32	20640.5865	R-squared	=	0.9046
				Adj R-squared	=	0.8867
Total	6921049.9	38	182132.892	Root MSE	=	143.67

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x					
--.	-.0818963	.0844071	-0.97	0.339	-.253828 .0900354
L1.	.1882567	.1258975	1.50	0.145	-.0681881 .4447015
L2.	.1002571	.1208038	0.83	0.413	-.1458122 .3463264
L3.	.2283448	.119325	1.91	0.065	-.0147123 .4714019
L4.	-.0072525	.1301338	-0.06	0.956	-.2723264 .2578213
L5.	.3067295	.0855606	3.58	0.001	.1324482 .4810108
_cons	674.5727	144.6416	4.66	0.000	379.9475 969.1979

```

.
.   scalar rss5=e(rss)

.   gen aic5= log(rss5/_N) + ((2*5)/_N)

. display aic5
9.8438339

.   scalar aic5=aic5

.   gen sc5=log(rss5/_N) + (5*log(_N))/_N

. display sc5
10.046582

.   scalar sc5=sc5

.
. * Avec 6 retards
. regress y x L.x L2.x L3.x L4.x L5.x L6.x

```

Source	SS	df	MS	Number of obs	=	38
				F(7, 30)	=	50.63
Model	6155805.34	7	879400.763	Prob > F	=	0.0000
Residual	521116.052	30	17370.5351	R-squared	=	0.9220
				Adj R-squared	=	0.9037
Total	6676921.39	37	180457.335	Root MSE	=	131.8

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
x						
--.	-.011389	.0815322	-0.14	0.890	-.1779	.1551221
L1.	.061265	.1249063	0.49	0.627	-.1938278	.3163577
L2.	.2275692	.1196352	1.90	0.067	-.0167584	.4718968
L3.	.1679316	.1129971	1.49	0.148	-.0628393	.3987026
L4.	.1187338	.1274542	0.93	0.359	-.1415624	.3790301
L5.	.0001691	.1369068	0.00	0.999	-.2794319	.2797702
L6.	.2371737	.0840651	2.82	0.008	.0654899	.4088575
_cons	501.5414	154.8486	3.24	0.003	185.2984	817.7845

```

. scalar rss6=e(rss)

. gen aic6= log(rss6/_N) + ((2*6)/_N)

. display aic6
9.6522655

. scalar aic6=aic6

. gen sc6=log(rss6/_N) + (6*log(_N))/_N

. display sc6
9.8955641

. scalar sc6=sc6

.
. * Avec 7 retards
. regress y x L.x L2.x L3.x L4.x L5.x L6.x L7.x

```

Source	SS	df	MS	Number of obs	=	37
				F(8, 28)	=	40.84
Model	5805254.47	8	725656.808	Prob > F	=	0.0000
Residual	497545.858	28	17769.4949	R-squared	=	0.9211
				Adj R-squared	=	0.8985
Total	6302800.32	36	175077.787	Root MSE	=	133.3

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
x						
--.	-.0198398	.0838703	-0.24	0.815	-.1916403	.1519607
L1.	.1046478	.1321359	0.79	0.435	-.1660202	.3753158
L2.	.1705322	.1325735	1.29	0.209	-.1010323	.4420966
L3.	.2249273	.1247243	1.80	0.082	-.0305589	.4804136
L4.	.0798818	.1340312	0.60	0.556	-.1946686	.3544322
L5.	.0651983	.1497885	0.44	0.667	-.2416295	.3720262
L6.	.1065063	.1472321	0.72	0.475	-.1950849	.4080975
L7.	.0981118	.0862072	1.14	0.265	-.0784757	.2746993
_cons	428.3283	180.866	2.37	0.025	57.84099	798.8156

```

. scalar rss7=e(rss)

. gen aic7= log(rss7/_N) + ((2*7)/_N)

. display aic7
9.6514349

. scalar aic7=aic7

. gen sc7=log(rss7/_N) + (7*log(_N))/_N

. display sc7

```

9.9352837

. scalar sc7=sc7

.

. \* Avec 8 retards

. regress y x L.x L2.x L3.x L4.x L5.x L6.x L7.x L8.x

Source	SS	df	MS	Number of obs	=	36
				F(9, 26)	=	32.17
Model	5440704.84	9	604522.76	Prob > F	=	0.0000
Residual	488553.717	26	18790.5276	R-squared	=	0.9176
				Adj R-squared	=	0.8891
Total	5929258.56	35	169407.387	Root MSE	=	137.08

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
x						
--.	-.0237937	.0905861	-0.26	0.795	-.209996	.1624087
L1.	.1188279	.1412771	0.84	0.408	-.1715714	.4092271
L2.	.1609177	.1449412	1.11	0.277	-.1370133	.4588487
L3.	.2435813	.1417395	1.72	0.098	-.0477685	.5349311
L4.	.0711337	.1497154	0.48	0.639	-.2366107	.378878
L5.	.0581081	.159509	0.36	0.719	-.2697674	.3859837
L6.	.0960181	.1667328	0.58	0.570	-.2467061	.4387423
L7.	.1323792	.1601308	0.83	0.416	-.1967744	.4615329
L8.	-.013717	.0955553	-0.14	0.887	-.2101337	.1826996
_cons	390.1807	223.1171	1.75	0.092	-68.44304	848.8044

.

. scalar rss8=e(rss)

. gen aic8= log(rss8/\_N) + ((2\*8)/\_N)

. display aic8

9.6786518

. scalar aic8=aic8

. gen sc8=log(rss8/\_N) + (8\*log(\_N))/\_N

. display sc8

10.00305

. scalar sc8=sc8

.

. \* Avec 9 retards

. regress y x L.x L2.x L3.x L4.x L5.x L6.x L7.x L8.x L9.x

Source	SS	df	MS	Number of obs	=	35
				F(10, 24)	=	25.01
Model	4967688.71	10	496768.871	Prob > F	=	0.0000
Residual	476665.457	24	19861.0607	R-squared	=	0.9124
				Adj R-squared	=	0.8760
Total	5444354.17	34	160128.064	Root MSE	=	140.93

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
x						
--.	-.0242367	.0931995	-0.26	0.797	-.2165909	.1681176
L1.	.0980225	.1483248	0.66	0.515	-.2081048	.4041498
L2.	.1835456	.1544687	1.19	0.246	-.1352622	.5023534
L3.	.2085955	.1544567	1.35	0.189	-.1101874	.5273784
L4.	.1103696	.1663424	0.66	0.513	-.2329442	.4536835
L5.	.0137496	.175203	0.08	0.938	-.3478517	.3753508
L6.	.1293426	.176749	0.73	0.471	-.2354494	.4941347

L7.	.0824645	.1797268	0.46	0.650	-.2884733	.4534023
L8.	.0741216	.1690431	0.44	0.665	-.2747662	.4230093
L9.	-.0698256	.0982589	-0.71	0.484	-.2726221	.1329708
_cons	487.9784	265.3323	1.84	0.078	-59.64053	1035.597

```
.
. scalar rss9=e(rss)

. gen aic9= log(rss9/_N) + ((2*9)/_N)

. display aic9
9.6994715

. scalar aic9=aic9

. gen sc9=log(rss9/_N) + (9*log(_N))/_N

. display sc9
10.06442

. scalar sc9=sc9
```

```
.
. * Avec 10 retards
. regress y x L.x L2.x L3.x L4.x L5.x L6.x L7.x L8.x L9.x L10.x in 11/44
```

Source	SS	df	MS	Number of obs	=	34
				F(11, 22)	=	19.90
Model	4576729.64	11	416066.331	Prob > F	=	0.0000
Residual	460050.98	22	20911.4082	R-squared	=	0.9087
				Adj R-squared	=	0.8630
Total	5036780.62	33	152629.716	Root MSE	=	144.61

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x					
--.	-.0323918	.1023602	-0.32	0.755	-.2446738 .1798901
L1.	.1023771	.1588289	0.64	0.526	-.2270139 .4317681
L2.	.1652953	.166692	0.99	0.332	-.1804028 .5109934
L3.	.2205499	.1691771	1.30	0.206	-.130302 .5714017
L4.	.0845428	.1882434	0.45	0.658	-.3058502 .4749358
L5.	.0358937	.2015973	0.18	0.860	-.3821935 .453981
L6.	.0908094	.2021712	0.45	0.658	-.3284679 .5100868
L7.	.1238304	.1951368	0.63	0.532	-.2808584 .5285193
L8.	.0322287	.1966194	0.16	0.871	-.3755349 .4399923
L9.	-.0153138	.1818102	-0.08	0.934	-.392365 .3617375
L10.	-.0541123	.1073447	-0.50	0.619	-.2767317 .1685071
_cons	627.3554	323.2835	1.94	0.065	-43.09348 1297.804

```
.
. scalar rss10=e(rss)

. gen aic10= log(rss10/_N) + ((2*10)/_N)

. display aic10
9.7094488

. scalar aic10=aic10

. gen sc10=log(rss10/_N) + (10*log(_N))/_N

. display sc10
10.114946

. scalar sc10=sc10
```

```

. * Il est possible de proposer un tableau récapitulatif des résultats de AIC et SC
.
. matrix AIC=[aic0\aic2\aic3\aic4\aic5\aic6\aic7\aic8\aic9\aic10]
.
. matrix BIC=[sc0\sc2\sc3\sc4\sc5\sc6\sc7\sc8\sc9\sc10]
.
.
. matrix Critère=[AIC,BIC]
.
. matlist Critère

```

	c1	c1
r1	11.9594	11.9594
r2	10.98971	11.07081
r3	10.47256	10.59421
r4	10.13613	10.29833
r5	9.843834	10.04658
r6	9.652266	9.895564
r7	9.651435	9.935284
r8	9.678652	10.00305
r9	9.699471	10.06442
r10	9.709449	10.11495

```

.
. * On peut pointer 6 retards comme étant le minimum des retards.
.
. * *****Le calcul des Fishers.
. * Il faut à chaque fois faire les tests mais avec le même nombre d'observations. Donc il
faut supprimer les 10 premières observations
. * de l'échantillon et faire les régressions de la 11 à la 44 donnée.
. * Chaque fois il faut récupérer la somme des carrés des résidus (rss) pour effectuer le
test de Fisher
.
. * Avec 0 retard
. regress y x in 11/44

```

Source	SS	df	MS	Number of obs	=	
Model	155596.582	1	155596.582	F(1, 32)	=	1.02
Residual	4881184.04	32	152537.001	Prob > F	=	0.3201
				R-squared	=	0.0309
				Adj R-squared	=	0.0006
Total	5036780.62	33	152629.716	Root MSE	=	390.56

```

-----

```

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x	.1077961	.106731	1.01	0.320	-.1096079 .3252001
_cons	2341.732	301.6007	7.76	0.000	1727.391 2956.072

```

-----
. scalar SCR0=e(rss)
.
.
. * Avec 1 retard
. regress y x L.x in 11/44

```

Source	SS	df	MS	Number of obs	=	
Model	1872748.55	2	936374.277	F(2, 31)	=	9.17
Residual	3164032.06	31	102065.55	Prob > F	=	0.0007
				R-squared	=	0.3718
				Adj R-squared	=	0.3313
Total	5036780.62	33	152629.716	Root MSE	=	319.48

```

-----

```

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
---	-------	-----------	---	------	----------------------



	x					
--.	-.4724531	.1662369	-2.84	0.008	-.8114955	-.1334107
L1.	.7051811	.1719238	4.10	0.000	.3545403	1.055822
_cons	2010.208	259.6112	7.74	0.000	1480.728	2539.689

```
. scalar SCR1=e(rss)
```

```
. scalar F1= (SCR0-SCR1)/(SCR1/(34-10+10-3))
```

```
. display F1
16.824011
```

```
. * Avec 2 retards
```

```
. regress y x L.x L2.x in 11/44
```

Source	SS	df	MS	Number of obs	=	34
Model	3096315.14	3	1032105.05	F(3, 30)	=	15.96
Residual	1940465.48	30	64682.1827	Prob > F	=	0.0000
				R-squared	=	0.6147
				Adj R-squared	=	0.5762
Total	5036780.62	33	152629.716	Root MSE	=	254.33

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x					
--.	-.239804	.1427385	-1.68	0.103	-.5313148 .0517069
L1.	-.0060938	.2132512	-0.03	0.977	-.4416108 .4294232
L2.	.6209513	.1427697	4.35	0.000	.3293766 .9125259
_cons	1632.751	224.1515	7.28	0.000	1174.973 2090.53

```
. scalar SCR2=e(rss)
```

```
. scalar F2= (SCR1-SCR2)/(SCR2/(34-10+9-3))
```

```
. display F2
18.916594
```

```
. * Avec 3 retards
```

```
. regress y x L.x L2.x L3.x in 11/44
```

Source	SS	df	MS	Number of obs	=	34
Model	3868905.83	4	967226.457	F(4, 29)	=	24.02
Residual	1167874.79	29	40271.5445	Prob > F	=	0.0000
				R-squared	=	0.7681
				Adj R-squared	=	0.7361
Total	5036780.62	33	152629.716	Root MSE	=	200.68

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x					
--.	-.1352276	.1151313	-1.17	0.250	-.3706975 .1002423
L1.	.071493	.1691965	0.42	0.676	-.2745527 .4175388
L2.	.0723074	.1684665	0.43	0.671	-.2722452 .41686
L3.	.5014569	.1144875	4.38	0.000	.2673037 .7356102
_cons	1274.651	194.85	6.54	0.000	876.138 1673.164

```
. scalar SCR3=e(rss)
```

```
.
. scalar F3= (SCR2-SCR3)/((SCR3)/(34-10+8-3))
```

```
. display F3
19.184531
```

```
.
. * Avec 4 retards
. regress y x L.x L2.x L3.x L4.x in 11/44
```

Source	SS	df	MS	Number of obs	=	34
Model	4196104.43	5	839220.885	F(5, 28)	=	27.95
Residual	840676.191	28	30024.1497	Prob > F	=	0.0000
				R-squared	=	0.8331
				Adj R-squared	=	0.8033
Total	5036780.62	33	152629.716	Root MSE	=	173.27

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
x						
--.	-.0362193	.1038356	-0.35	0.730	-.2489168	.1764782
L1.	.0375792	.1464532	0.26	0.799	-.2624166	.3375749
L2.	.1332135	.1466274	0.91	0.371	-.1671392	.4335662
L3.	.1457326	.1462312	1.00	0.327	-.1538084	.4452736
L4.	.3388194	.1026356	3.30	0.003	.12858	.5490588
_cons	983.8646	189.907	5.18	0.000	594.8576	1372.871

```
. scalar SCR4=e(rss)
```

```
. scalar F4= (SCR3-SCR4)/((SCR4)/(34-10+7-3))
```

```
. display F4
10.897847
```

```
.
. * Avec 5 retards
. regress y x L.x L2.x L3.x L4.x L5.x in 11/44
```

Source	SS	df	MS	Number of obs	=	34
Model	4399021.26	6	733170.21	F(6, 27)	=	31.04
Residual	637759.359	27	23620.717	Prob > F	=	0.0000
				R-squared	=	0.8734
				Adj R-squared	=	0.8452
Total	5036780.62	33	152629.716	Root MSE	=	153.69

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
x						
--.	-.073246	.0929619	-0.79	0.438	-.263988	.117496
L1.	.1764462	.1382709	1.28	0.213	-.1072623	.4601548
L2.	.0926315	.1307898	0.71	0.485	-.1757269	.3609899
L3.	.2147858	.1318257	1.63	0.115	-.0556983	.4852698
L4.	.010182	.1444283	0.07	0.944	-.2861604	.3065244
L5.	.2935945	.1001695	2.93	0.007	.0880637	.4991253
_cons	734.3414	188.7342	3.89	0.001	347.0908	1121.592

```
. scalar SCR5=e(rss)
```

```
. scalar F5= (SCR4-SCR5)/((SCR5)/(34-10+6-3))
```

```
. display F5
8.5906296
```

```
.
. * Avec 6 retards
. regress y x L.x L2.x L3.x L4.x L5.x L6.x in 11/44
```

Source	SS	df	MS	Number of obs	=	34
Model	4532182.51	7	647454.644	F(7, 26)	=	33.36
Residual	504598.11	26	19407.6196	Prob > F	=	0.0000
				R-squared	=	0.8998
				Adj R-squared	=	0.8728
Total	5036780.62	33	152629.716	Root MSE	=	139.31

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
x						
--.	.0018025	.0890021	0.02	0.984	-.181144	.1847489
L1.	.0554629	.1335739	0.42	0.681	-.2191023	.330028
L2.	.2280905	.1293413	1.76	0.090	-.0377743	.4939553
L3.	.1626539	.1211383	1.34	0.191	-.0863496	.4116573
L4.	.1211661	.1376014	0.88	0.387	-.1616776	.4040098
L5.	-.0174677	.1494874	-0.12	0.908	-.3247436	.2898081
L6.	.2538306	.0969039	2.62	0.015	.0546418	.4530195
_cons	493.0047	194.3086	2.54	0.018	93.59766	892.4118

```
. scalar SCR6=e(rss)

. scalar F6= (SCR5-SCR6)/(SCR6/(34-10+5-3))

. display F6
6.8612871
```

```
.
. * Avec 7 retards
. regress y x L.x L2.x L3.x L4.x L5.x L6.x L7.x in 11/44
```

Source	SS	df	MS	Number of obs	=	34
Model	4553296.39	8	569162.049	F(8, 25)	=	29.43
Residual	483484.227	25	19339.3691	Prob > F	=	0.0000
				R-squared	=	0.9040
				Adj R-squared	=	0.8733
Total	5036780.62	33	152629.716	Root MSE	=	139.07

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
x						
--.	-.010106	.0895735	-0.11	0.911	-.1945861	.1743741
L1.	.1014822	.1404245	0.72	0.477	-.1877275	.3906919
L2.	.1741471	.1390527	1.25	0.222	-.1122373	.4605316
L3.	.2216944	.1334755	1.66	0.109	-.0532036	.4965925
L4.	.0881352	.14095	0.63	0.537	-.2021567	.3784272
L5.	.0402624	.1591244	0.25	0.802	-.2874605	.3679852
L6.	.1226812	.1584675	0.77	0.446	-.2036887	.449051
L7.	.1024407	.0980414	1.04	0.306	-.0994794	.3043607
_cons	400.1607	213.3509	1.88	0.072	-39.24378	839.5651

```
.
. scalar SCR7=e(rss)

. scalar F7= (SCR6-SCR7)/(SCR7/(34-10+4-3))

. display F7
1.0917566
```

```
.
. * Avec 8 retards
```

```
. regress y x L.x L2.x L3.x L4.x L5.x L6.x L7.x L8.x in 11/44
```

Source	SS	df	MS	Number of obs	=	34
				F(9, 24)	=	25.26
Model	4555835.97	9	506203.997	Prob > F	=	0.0000
Residual	480944.647	24	20039.3603	R-squared	=	0.9045
				Adj R-squared	=	0.8687
Total	5036780.62	33	152629.716	Root MSE	=	141.56

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
x						
--.	-.0186931	.0943169	-0.20	0.845	-.2133537	.1759674
L1.	.1127768	.146422	0.77	0.449	-.1894233	.4149768
L2.	.156068	.1503817	1.04	0.310	-.1543047	.4664407
L3.	.2412809	.1465869	1.65	0.113	-.0612596	.5438215
L4.	.0669916	.1552856	0.43	0.670	-.2535021	.3874853
L5.	.0516438	.1651037	0.31	0.757	-.2891134	.392401
L6.	.1002745	.1731546	0.58	0.568	-.2570992	.4576481
L7.	.1507647	.1684838	0.89	0.380	-.1969688	.4984982
L8.	-.037924	.1065308	-0.36	0.725	-.2577927	.1819448
_cons	446.3518	252.9865	1.76	0.090	-75.78672	968.4903

```
. scalar SCR8=e(rss)
```

```
. scalar F8= (SCR7-SCR8)/(SCR8/(34-10+3-3))
```

```
. display F8
.12672955
```

```
. * Avec 9 retards
```

```
. regress y x L.x L2.x L3.x L4.x L5.x L6.x L7.x L8.x L9.x in 11/44
```

Source	SS	df	MS	Number of obs	=	34
				F(10, 23)	=	22.59
Model	4571415.73	10	457141.573	Prob > F	=	0.0000
Residual	465364.887	23	20233.256	R-squared	=	0.9076
				Adj R-squared	=	0.8674
Total	5036780.62	33	152629.716	Root MSE	=	142.24

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
x						
--.	-.0150944	.0948608	-0.16	0.875	-.2113289	.1811401
L1.	.0822113	.1511957	0.54	0.592	-.2305607	.3949833
L2.	.1908289	.1562137	1.22	0.234	-.1323237	.5139815
L3.	.1927627	.1573301	1.23	0.233	-.1326995	.5182249
L4.	.1235312	.1688149	0.73	0.472	-.2256891	.4727515
L5.	-.0076813	.1791471	-0.04	0.966	-.3782752	.3629126
L6.	.1356361	.1785961	0.76	0.455	-.2338181	.5050903
L7.	.0924085	.1818903	0.51	0.616	-.2838603	.4686772
L8.	.0787918	.170734	0.46	0.649	-.2743984	.4319821
L9.	-.0902795	.1028825	-0.88	0.389	-.3031081	.1225492
_cons	550.7418	280.6664	1.96	0.062	-29.86083	1131.344

```
. scalar SCR9=e(rss)
```

```
. scalar F9= (SCR8-SCR9)/(SCR9/(34-10+2-3))
```

```
. display F9
.77000757
```

```
. * Avec 10 retards
```

```
. regress y x L.x L2.x L3.x L4.x L5.x L6.x L7.x L8.x L9.x L10.x in 11/44
```

Source	SS	df	MS	Number of obs	=	34
Model	4576729.64	11	416066.331	F(11, 22)	=	19.90
Residual	460050.98	22	20911.4082	Prob > F	=	0.0000
				R-squared	=	0.9087
				Adj R-squared	=	0.8630
Total	5036780.62	33	152629.716	Root MSE	=	144.61

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
x						
--.	-.0323918	.1023602	-0.32	0.755	-.2446738	.1798901
L1.	.1023771	.1588289	0.64	0.526	-.2270139	.4317681
L2.	.1652953	.166692	0.99	0.332	-.1804028	.5109934
L3.	.2205499	.1691771	1.30	0.206	-.130302	.5714017
L4.	.0845428	.1882434	0.45	0.658	-.3058502	.4749358
L5.	.0358937	.2015973	0.18	0.860	-.3821935	.453981
L6.	.0908094	.2021712	0.45	0.658	-.3284679	.5100868
L7.	.1238304	.1951368	0.63	0.532	-.2808584	.5285193
L8.	.0322287	.1966194	0.16	0.871	-.3755349	.4399923
L9.	-.0153138	.1818102	-0.08	0.934	-.392365	.3617375
L10.	-.0541123	.1073447	-0.50	0.619	-.2767317	.1685071
_cons	627.3554	323.2835	1.94	0.065	-43.09348	1297.804

```
. scalar SCR10=e(rss)
```

```
. scalar F10= (SCR9-SCR10)/(SCR10/(34-10+1-3))
```

```
. display F10
.25411523
```

```
. * On peut faire un récapitulatif des résultats des test de Fisher
```

```
. matrix F=[F1\F2\F3\F4\F5\F6\F7\F8\F9\F10]
```

```
. matlist F
```

	c1
r1	16.82401
r2	18.91659
r3	19.18453
r4	10.89785
r5	8.59063
r6	6.861287
r7	1.091757
r8	.1267296
r9	.7700076
r10	.2541152

```
. * Pour une synthèse des critères AIC , SC et F
```

```
. matrix Synthèse=[Critère, F]
```

```
. matlist Synthèse
```

	c1	c1	c1
r1	11.9594	11.9594	16.82401
r2	10.98971	11.07081	18.91659
r3	10.47256	10.59421	19.18453
r4	10.13613	10.29833	10.89785
r5	9.843834	10.04658	8.59063
r6	9.652266	9.895564	6.861287
r7	9.651435	9.935284	1.091757

r8		9.678652	10.00305	.1267296
r9		9.699471	10.06442	.7700076
r10		9.709449	10.11495	.2541152

```
.
.
. * On retient donc 6 retards.
```

```
. */// L'analyse se poursuit avec la régression avec 6 retards où les coefficients estimés
seront analysés
```

```
. regress y x L.x L2.x L3.x L4.x L5.x L6.x
```

Source		SS	df	MS	Number of obs	=	38
-----							
Model		6155805.34	7	879400.763	F(7, 30)	=	50.63
Residual		521116.052	30	17370.5351	Prob > F	=	0.0000
-----							
Total		6676921.39	37	180457.335	R-squared	=	0.9220
-----							
					Adj R-squared	=	0.9037
					Root MSE	=	131.8

y		Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
-----							
x							
--.		-.011389	.0815322	-0.14	0.890	-.1779	.1551221
L1.		.061265	.1249063	0.49	0.627	-.1938278	.3163577
L2.		.2275692	.1196352	1.90	0.067	-.0167584	.4718968
L3.		.1679316	.1129971	1.49	0.148	-.0628393	.3987026
L4.		.1187338	.1274542	0.93	0.359	-.1415624	.3790301
L5.		.0001691	.1369068	0.00	0.999	-.2794319	.2797702
L6.		.2371737	.0840651	2.82	0.008	.0654899	.4088575
_cons		501.5414	154.8486	3.24	0.003	185.2984	817.7845

```
. scalar coef0=_b[x]
```

```
. scalar coef1=_b[L.x]
```

```
. scalar coef2=_b[L2.x]
```

```
. scalar coef3=_b[L3.x]
```

```
. scalar coef4=_b[L4.x]
```

```
. scalar coef5=_b[L5.x]
```

```
. scalar coef6=_b[L6.x]
```

```
. *Le tableau des coefficients est donné par :
```

```
. matrix COEF=[coef0\coef1\coef2\coef3\coef4\coef5\coef6]
```

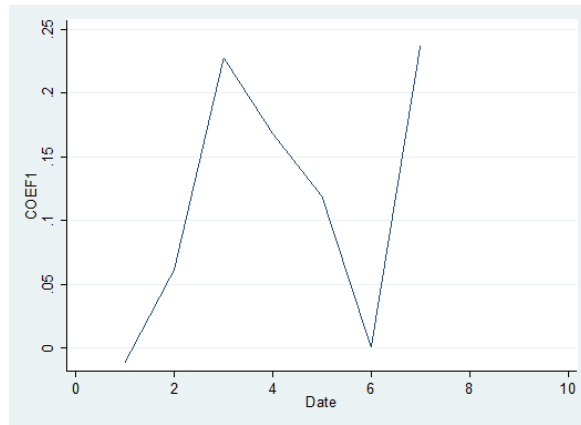
```
. matlist COEF
```

		c1
-----		
r1		-.011389
r2		.061265
r3		.2275692
r4		.1679316
r5		.1187338
r6		.0001691
r7		.2371737

```
. svmat COEF
```

```
. * Le graphique illustre la structure de pondération de retards pour le modèle 6 estimé
```

```
.  
. twoway (line COEF date if date <10)
```



```
. * Le retard moyen est égal à :
```

```
. gen D =  
(coef1+2*coef2+3*coef3+4*coef4+5*coef5+6*coef6)/(coef0+coef1+coef2+coef3+coef4+coef5+coef6)
```

```
. display D  
3.6421595
```

```
. * Le délai moyen de réaction est 3.64 trimestres, soit presque une année.
```

```
. end of do-file
```

```
. exit, clear
```